

NEW ISOMER $\text{Sn}^{113\text{m}}$

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ACCORDING to the systematics of the half-lives of the isomers, one would expect the long-lived ($T = 119$ days) tin isotope Sn^{113} to have an isomer with a half-life somewhat shorter than that of $\text{Cd}^{111\text{m}}$ ($T = 48.7$ min). Actually, an investigation of the isotope Sb^{113} ($T = 7$ min) with a double-lens β spectrometer has disclosed that, as a result of positron decay, this isotope is partially transmuted into a new isomer, $\text{Sn}^{113\text{m}}$, with a half-life of 27 ± 3 min.

There have been observed in the conversion spectrum of Sb^{113} electrons with energies 49.6, 75.3, and 77.4 keV, corresponding to conversion of γ radiation of energy 79.3 ± 0.5 keV on the K, L, and M shells. The ratio of the conversion on the K shell to that on the L shell is 1.75.

Theoretical values of this ratio, for transitions of various multiplicities, are: E1 — 9.45, E2 — 3.8, E3 — 0.95, M1 — 7.55, M2 — 3.8, and M3 — 3.56. The extrapolated value for M4 is about 1.7. Consequently, the isomer transition from the metastable state of $\text{Sn}^{113\text{m}}$ has a multiplicity M4.

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REMARK ON THE DECAY OF THE CASCADE HYPERON

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IF the spin of the cascade hyperon is $\frac{1}{2}$, the amplitude of its decay

$$\Xi^0 \rightarrow \Lambda^0 + \pi^0, \quad \Xi^- \rightarrow \Lambda^0 + \pi^- \quad (1)$$

can be written in the form

$$A = 2\bar{u}_\Lambda (a + b e^{i\varphi} \sigma_n) u_\Xi. \quad (2)$$

Here a and b denote the amplitude for the formation of Λ^0 and π in the S and P states, re-

spectively, and φ is the difference of the phase shifts for the scattering of the π meson by the Λ hyperon in these states. The unit vector \mathbf{n} is directed along the momentum of the Λ^0 hyperon in the rest system of the Ξ hyperon, the σ 's are the Pauli matrices, and u_Λ and u_Ξ are two-component spinors.

If the polarization vector of the Ξ hyperon (in the rest system of Ξ) is denoted by $\boldsymbol{\eta}$ and the polarization vector of the Λ hyperon (in the rest system of Λ) by $\boldsymbol{\zeta}$, the probability of the decay of a polarized Ξ hyperon with formation of a polarized Λ hyperon, as calculated with the help of the amplitude (2), has the form

$$W(\mathbf{n}, \boldsymbol{\eta}, \boldsymbol{\zeta}) = a^2 + b^2 + 2ab \cos \varphi (\boldsymbol{\zeta} \mathbf{n} + \boldsymbol{\eta} \mathbf{n}) + (a^2 - b^2) \boldsymbol{\zeta} \boldsymbol{\eta} + 2b^2 (\boldsymbol{\zeta} \mathbf{n}) (\boldsymbol{\eta} \mathbf{n}) + 2ab \sin \varphi [\boldsymbol{\eta} \boldsymbol{\zeta}] \mathbf{n}. \quad (3)$$

Formula (3) contains, of course, all possible correlations which were recently considered by Teutsch, Okubo, and Sudarshan.¹ With regard to this formula we should like to make the following observation. As is seen from formula (3), the polarization of the Λ hyperons in the direction perpendicular to the plane defined by the vectors $\boldsymbol{\eta}$ and \mathbf{n} will be zero unless $\varphi \neq 0$. The study of the polarization of the Λ hyperons in this direction (together with the measurement of the longitudinal polarization of the Λ hyperons, for example) permits, therefore, the determination of the difference of the S and P phase shifts in the scattering of π mesons by Λ hyperons.

We note that, by isotopic invariance, the value of φ_- , obtained from the decay of the Ξ^- hyperon, and of φ_0 , obtained from the decay of the Ξ^0 hyperon, should be identical.

For comparison we mention that the S phase shifts for the scattering of a π meson by a nucleon at corresponding energies (the momentum in the center-of-mass system is equal to $m_\pi c$) are approximately equal to $\alpha_1 \approx -7^\circ$ for the channel $T = \frac{1}{2}$ and to $\alpha_3 \approx +10^\circ$ for $T = \frac{3}{2}$ (reference 2). The resonance P phase is equal to $\alpha_{33} \approx 12^\circ$, while the other P phases are close to zero.

¹ Teutsch, Okubo, and Sudarshan, Phys. Rev. **114**, 1148 (1959).

² J. Orear, Phys. Rev. **100**, 288 (1955).

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CONCERNING THE ARTICLE BY S. M. BILEN'KII, R. M. RYNDIN, Ya. A. SMORODINSKII, AND HO TSO-HSIU, "ON THE THEORY OF NEUTRON BETA DECAY"

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WEINBERG¹ proved a theorem from which it follows that the full probability for a process of the type $\alpha \rightarrow \beta + l + \bar{\nu}$ (α and β are arbitrary strongly interacting particles and l is a lepton) does not contain V-A interferences. It is easy to see that the expression (12) for the total probability of neutron decay given in our paper² satisfies this condition, since the dependence on the first power of λ is only apparent. Indeed, in the approximation $E_0/M = \Delta/M$, which we used, expression (12) may be rewritten as follows:

$$W = \frac{G^2}{(2\pi)^3} (1 + 3\lambda^2) \left\{ m^4 \left(E_0 - \frac{m^2 + 2E_0^2}{2M} \right) \ln \frac{E_0 + \sqrt{E_0^2 - m^2}}{m} + \frac{2}{15} \sqrt{E_0^2 - m^2} \left[E_0^4 - \frac{9}{2} E_0^2 m^2 - 4m^4 + \frac{E_0}{M} (E_0^4 - 2E_0^2 m^2 + \frac{49}{4} m^4) \right] \right\}.$$

We are grateful to Prof. J. Bernstein for bringing the work of Weinberg to our attention.

¹S. Weinberg, Phys. Rev. **115**, 481 (1959).

²Bilenkii, Ryndin, Smorodinskiĭ, and Ho Tso-Hsiu, JETP **37**, 1758 (1959), Soviet Phys. JETP **10**, 1241 (1960).

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PRODUCTION OF "SUPERCOLD" POLARIZED NEUTRONS

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THE rapidly developing research on "cold" neutrons could be greatly widened if "supercold" neutrons with energies of the order of 10^{-4} to 10^{-6} °K

could be successfully obtained. However, at moderator temperatures of 1°K, the yield of neutrons with energies of the order of 10^{-5} degrees K amounts to only 10^{-11} of the total flux. To increase the yield of "supercold" neutrons, a new moderation method is proposed below, based on the interaction of the neutron's magnetic moment with a non-uniform magnetic field.

When a neutron crosses a magnetic field H , the change in the kinetic energy ϵ of the neutron will be equal to

$$\Delta\epsilon = \int_0^s \mu_{\text{eff}} \frac{\partial H}{\partial s} ds,$$

where μ_{eff} is the component of the neutron's magnetic moment in the direction of the field H , and s is the path traversed by the neutron in the field. Since the region affected by a magnetic field can be separated into two parts, in which the gradients are directed in opposite directions, then for $\mu_{\text{eff}} = \text{const}$ we have $\Delta\epsilon = 0$.

The neutron energy can be changed by a corresponding change in the sign of μ_{eff} , i.e., by a reorientation of the neutron spin at the instant when it passes through the maximum of the magnetic field. For this purpose a uniform magnetic field, falling off to zero at the ends, is applied along the neutron path. When a neutron with its moment opposed to the field enters the field, it is acted on by a retarding force $F = \mu_{\text{eff}} \partial H / \partial s$ (neutrons with spins oriented in the opposite direction will be accelerated). At the instant when it reaches the maximum field H_0 , where $\Delta\epsilon = \mu_{\text{eff}} H_0$, the change in speed will equal

$$\Delta v_1 \approx \mu_{\text{eff}} H_0 / m v_0,$$

where m is the mass and v_0 the initial velocity of the neutron.

If a field H_1 of radio frequency $\omega = \gamma H_0$ is applied in a direction perpendicular to H_0 , and if it satisfies the condition $H_1 \Delta t = \hbar / g \mu_N$ (Δt being the time of flight of the neutron through the field H_1 , g the gyromagnetic ratio, and μ_N the nuclear magneton), then the result will be a reversal of the spin of the traveling neutron, and consequently a change in the sign of μ_{eff} . This will cause retardation of the neutron during its exit from the constant-field region as well as during its entrance, and the total loss in velocity will be $2\Delta v_1$. The reorientation of neutron spins can be accomplished in a field H_0 of length 2 to 5 cm, with $H_1 \sim 1$ gauss. The velocity lost by a neutron during a single passage through the field is very small. Thus, if $H_0 = 20,000$ gauss and the initial velocity is 2×10^3 cm/sec we have $2\Delta v_1 = 100$ cm/sec.